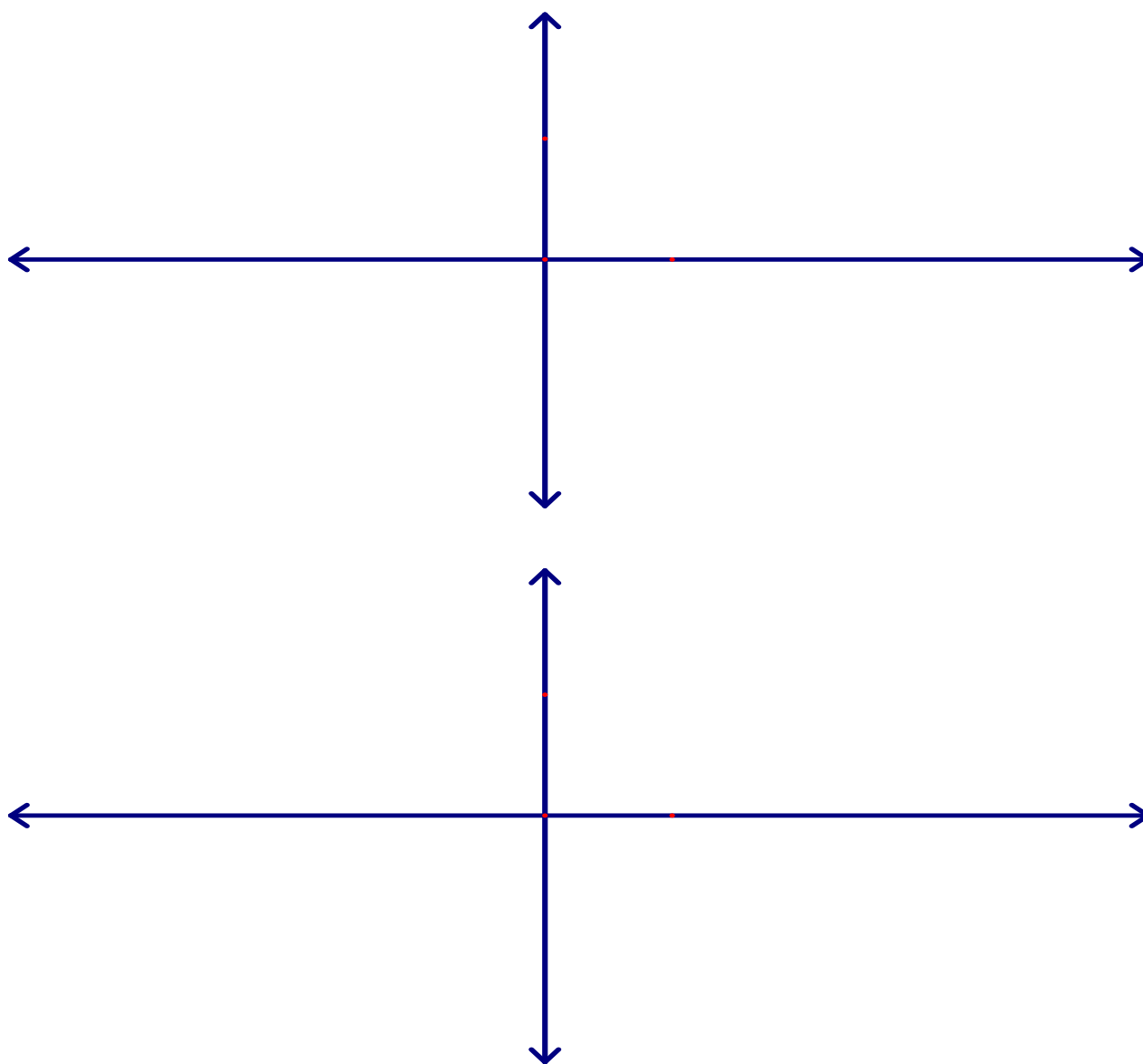


## Section 4.6 (Day 2) – Graphs of Tangent & Cotangent Functions

Where do they come from?? Let's look back at that chart from 4.4:

$\theta$	$\sin\theta$	$\cos\theta$	$\tan\theta$	$\cot\theta$
$0^\circ$				
$90^\circ$				
$180^\circ$				
$270^\circ$				



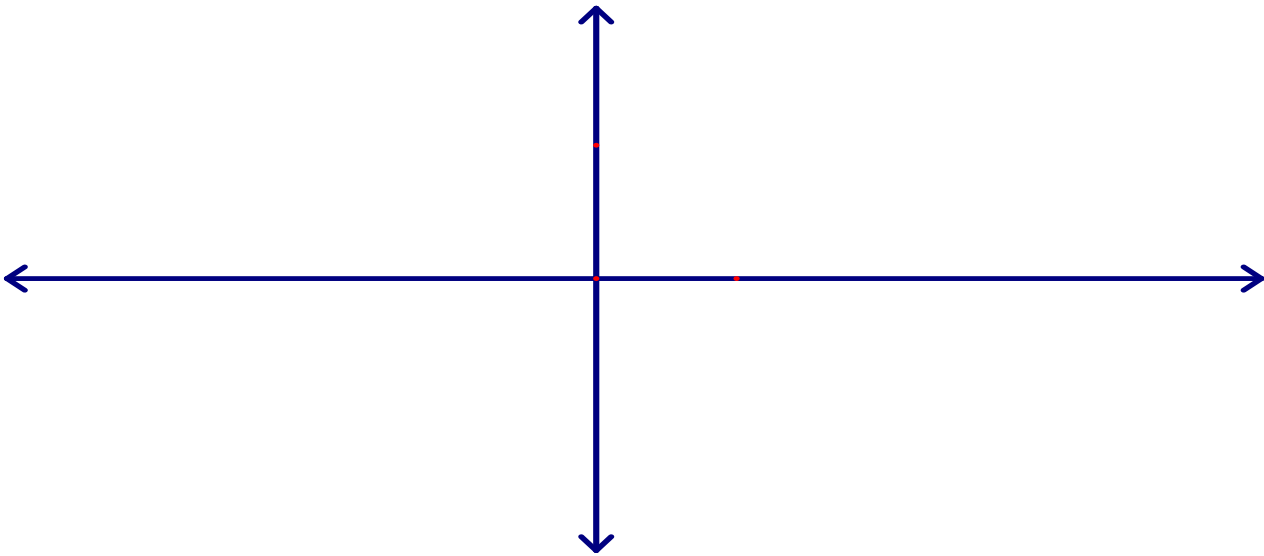
## Section 4.6 (Day 2) – Graphs of Tangent & Cotangent Functions

### How to graph tangent and cotangent

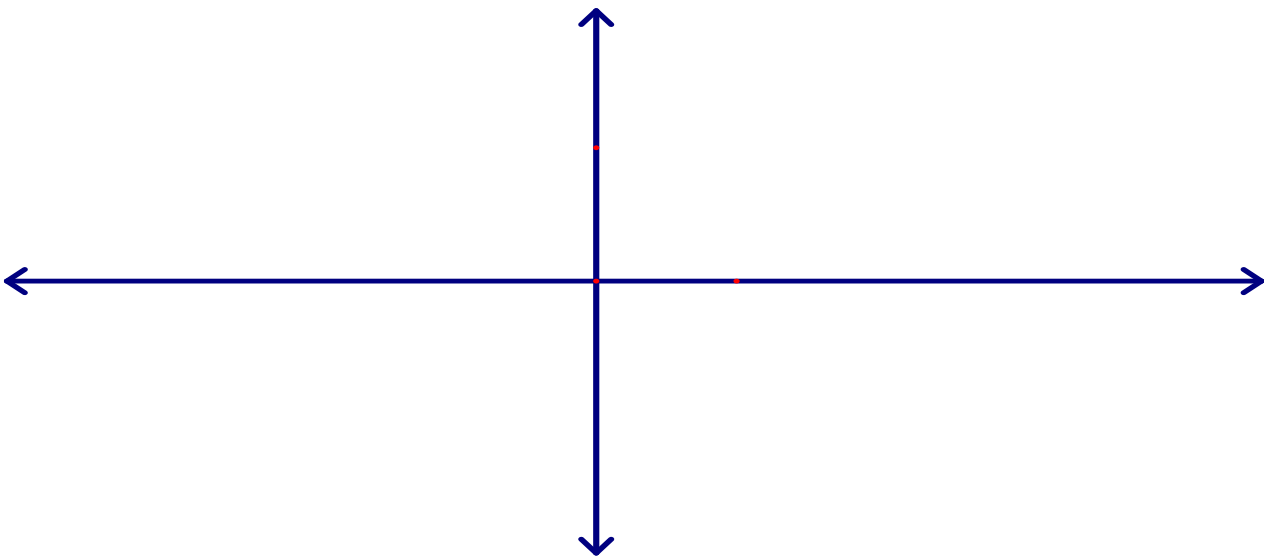
The biggest thing to remember here is that both these functions have  $\pi$  as their default period instead of  $2\pi$ . So graph the asymptotes first, and then the rest of the function. Essentially you are just graphing a curve like  $y = x^3$  a bunch of times.

Examples:

$$1) y = 2\tan\left(x - \frac{\pi}{2}\right)$$

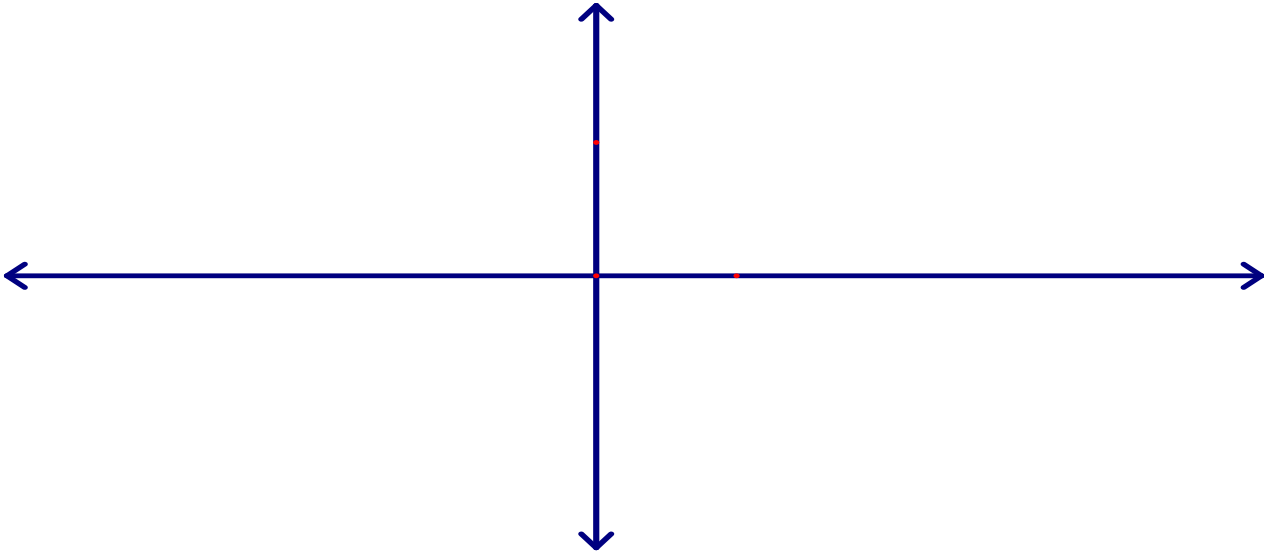


$$2) y = -\frac{1}{3}\tan\frac{1}{2}x + 1$$

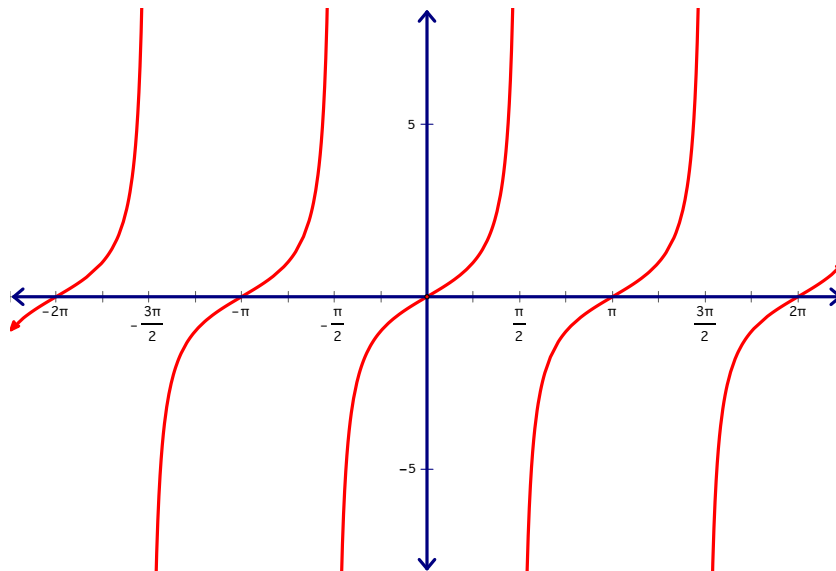


## Section 4.6 (Day 2) – Graphs of Tangent & Cotangent Functions

3)  $y = 4 \cot 2x$



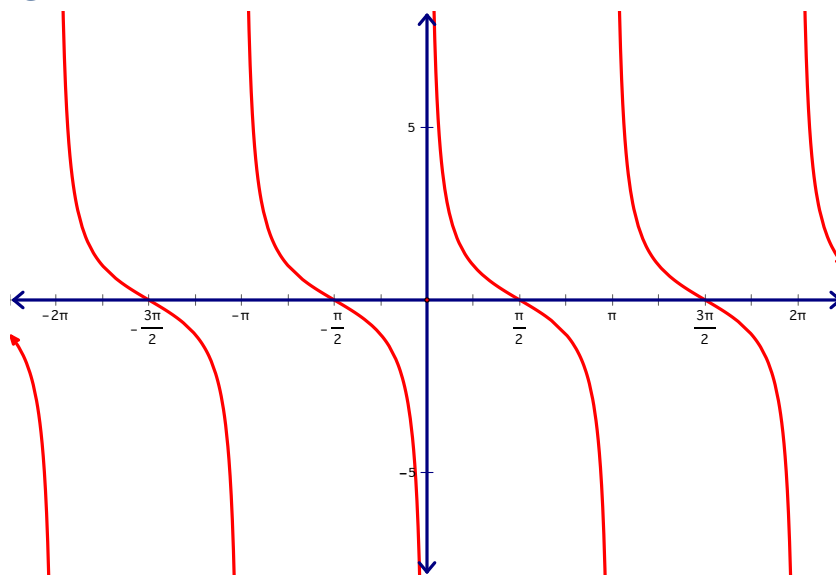
### Tangent Curve



- Domain: \_\_\_\_\_ Range: \_\_\_\_\_ Period: \_\_\_\_\_
- Symmetric with respect to the: *origin* so is and *odd function* ( $\tan(-x) = -\tan x$ )
- Zeros: \_\_\_\_\_
- Max: \_\_\_\_\_ Min: \_\_\_\_\_

## Section 4.6 (Day 2) – Graphs of Tangent & Cotangent Functions

### Cotangent Curve



- Domain: \_\_\_\_\_ Range: \_\_\_\_\_ Period: \_\_\_\_\_
- Symmetric with respect to the: *origin* so is and *odd function* ( $\cot(-x) = -\cot x$ )
- Zeros: \_\_\_\_\_
- Max: \_\_\_\_\_ Min: \_\_\_\_\_